

UČNI NAČRT PREDMETA / COURSE SYLLABUS (leto / year 2017/18)						
<b>Predmet:</b>	Optimizacijske metode					
<b>Course title:</b>	Optimization methods					
<b>Študijski program in stopnja</b> <b>Study programme and level</b>	<b>Študijska smer</b> <b>Study field</b>			<b>Letnik</b> <b>Academic year</b>	<b>Semester</b> <b>Semester</b>	
Interdisciplinarni univerzitetni študijski program Računalništvo in matematika	ni smeri			2	drugi	
Interdisciplinary first cycle academic study programme Computer Science and Mathematics	none			2	second	
<b>Vrsta predmeta / Course type</b>				obvezni / compulsory		
<b>Univerzitetna koda predmeta / University course code:</b>				27210		
<b>Predavanja</b> <b>Lectures</b>	<b>Seminar</b> <b>Seminar</b>	<b>Vaje</b> <b>Tutorial</b>	<b>Klinične vaje</b> <b>work</b>	<b>Druge oblike študija</b>	<b>Samost. delo</b> <b>Individ. work</b>	<b>ECTS</b>
45		45			120	7
<b>Nosilec predmeta / Lecturer:</b>				prof. dr. Marko Petkovšek, prof. dr. Arjana Žitnik		
<b>Jeziki / Languages:</b>	<b>Predavanja / Lectures:</b>		slovenski / Slovene			
	<b>Vaje / Tutorial:</b>		slovenski / Slovene			
<b>Pogoji za vključitev v delo oz. za opravljanje študijskih obveznosti:</b>				<b>Prerequisites:</b>		
Vpis v letnik študija.				Enrolment in the programme.		
<b>Vsebina:</b>				<b>Content (Syllabus outline):</b>		

<ul style="list-style-type: none"> <li>• Optimizacijske naloge in problemi, primeri, podobne in enakovredne naloge,</li> <li>• rešljivost, globalni in lokalni ekstremi,</li> <li>• lokalna optimizacija, konveksnost, reševanje v <math>R^n</math>, sedla, prirejene in dualne naloge,</li> <li>• Lagrangeova prirejenost, Karush-Kuhn-Tuckerjev izrek, numerični postopki, kazenske metode,</li> <li>• linearno programiranje, metoda simpleksov, dualne naloge,</li> <li>• diskretne optimizacijske naloge, zahtevnost problemov, pristopi k reševanju diskretnih nalog,</li> </ul> <p>primeri (predavatelj izbere nekatere izmed naslednjih tem: najcenejši razvoj, pretoki po omrežju, prirejanja in pokritja, barvanje grafov, razvrščanje v skupine, ...).</p>	<ul style="list-style-type: none"> <li>• Optimization problems, examples, similar and equivalent problems</li> <li>• solvability, global and local extrema,</li> <li>• local optimization, convex problems, solving in <math>R^n</math>, saddle points, associated and dual problems,</li> <li>• Lagrange duality, Karush-Kuhn-Tucker theorem, numerical algorithms, penalty methods,</li> <li>• linear programming, simplex method, dual problem,</li> <li>• discrete optimization problems, complexity, approaches to solving discrete optimization problems, examples (the lecturer chooses some of the following topics: transshipment problem, network flow, matchings and coverings, graph colorings, clustering...).</li> </ul>
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### Temeljni literatura in viri / Readings:

Vašek Chvátal: Linear Programming, W. H. Freeman and Co., New York, 1983

B. H. Korte, J. Vygen: Combinatorial Optimization : Theory and Algorithms, 3. izdaja, Springer, Berlin, 2006.

Stephen Boyd, Lieven Vandenberghe: Convex Optimization, Cambridge University Press, Cambridge, 2004

V. Batagelj: Optimizacijske metode, Zapiski predavanj, Ljubljana.<http://vlado.fmf.uni-lj.si/vlado/optim/opt1.pdf><http://vlado.fmf.uni-lj.si/vlado/optim/lp.pdf>

V. Batagelj, M. Kaufman: Naloge iz optimizacijskih metod, Ljubljana.<http://vlado.fmf.uni-lj.si/vlado/optim/optnal.pdf>

Jiří Matoušek, Bernd Gärtner: Understanding and Using Linear Programming, Springer 2007

M.Minoux: Mathematical programming. Theory and algorithms. Wiley, Chichester, 1986

M.S.Bazaraa, H.D.Sherali, C.M.Shetty: Nonlinear Programming, Theory and Algorithms. Wiley, New York 1993.

C.H.Papadimitriou, K.Steiglitz: Combinatorial optimization: Algorithms and complexity. Prentice-Hall, Englewood Cliffs, New Jersey 1990

**Cilji in kompetence:**

Podati v poenoteni obliki osnovna znanja o "zvezni" in kombinatorični optimizaciji.

**Objectives and competences:**

To provide a basic knowledge on "continuous" and combinatorial optimization in a unified way.

**Predvideni študijski rezultati:**

Znanje in razumevanje: Študent pridobi osnovno znanje o zvezni in kombinatorični optimizaciji. Obvlada temeljne optimizacijske postopke in jih zna uporabiti ob pomoči računalnika.

Uporaba: Reševanje optimizacijskih problemov v vsakdanjem življenju.

Refleksija: Pomen ustreznega modeliranja problemov iz uporabe za njihovo učinkovito reševanje.

Prenosljive spretnosti – niso vezane le na en predmet: Sposobnost predstavitve različnih praktičnih problemov v obliki matematičnih optimizacijskih nalog. Veščina uporabe izbranega programskega orodja za reševanje osnovnih optimizacijskih problemov.

**Intended learning outcomes:**

Knowledge and understanding: The student obtains basic knowledge about continuous and combinatorial optimization. He or she is familiar with basic optimization methods and knows how to solve them with a computer.

Application: Solving optimization problems from real life.

Reflection: The importance of modelling of problems for their effective resolution.

Transferable skills: The ability to present various everyday problems in the form of mathematical optimization tasks. Ability to use computer programs to solve basic optimization problems.

**Metode poučevanja in učenja:**

**Learning and teaching methods:**

predavanja, vaje, domače naloge, konzultacije	lectures, exercises, homeworks, consultations
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		Delež (v %) / Weight (in %)	Assessment:
Načini ocenjevanja:			
Način (pisni izpit, ustno izpraševanje, naloge, projekt)			Type (examination, oral, coursework, project):
domače naloge ali projekt			homeworks or project
pisni izpit		10%	written exam
ustni izpit		45%	oral exam
Ocene: 1-5 (negativno), 6-10 (pozitivno) (po Statutu UL)		45%	Grading: 1-5 (fail), 6-10 (pass) (according to the Statute of UL)

**Reference nosilca / Lecturer's references:**

Marko Petkovšek:

ABRAMOV, Sergei A., PETKOVŠEK, Marko. Polynomial ring automorphisms, rational (w,  $[\sigma]$ )-canonical forms, and the assignment problem. Journal of symbolic computation, ISSN 0747-7171, 2010, vol. 45, no. 6, str. 684-708. [COBISS.SI-ID 15580505]

BRESSLER, Andrew, GREENWOOD, Torin, PEMANTLE, Robin, PETKOVŠEK, Marko. Quantum random walk on the integer lattice: examples and phenomena. V: AMS Special Sessions on Algorithmic Probability and Combinatorics, October 5-6, 2007, DePaul University, Chicago (Illinois), October 4-5, 2008, University of British Columbia, Vancouver (BC, Canada). LLADSER, Manuel (ur.), et al. Algorithmic probability and combinatorics : AMS special sessions on algorithmic probability and combinatorics, October 5-6, 2007, DePaul University, Chicago, Illinois, October 4-5, 2008, University of British Columbia, Vancouver, BC, Canada, (Contemporary mathematics, ISSN 0271-4132, 520). Providence: American Mathematical Society, cop. 2010, str. 41-60. [COBISS.SI-ID 15813977]

ABRAMOV, Sergei A., BARKATOU, Moulay A., VAN HOEIJ, Mark, PETKOVŠEK, Marko. Subanalytic solutions of linear difference equations and multidimensional hypergeometric sequences. Journal

of symbolic computation, ISSN 0747-7171, 2011, vol. 46, iss. 11, str. 1205-1228. [COBISS.SI-ID 16083033]

Arjana Žitnik:

MILANIČ, Martin, PISANSKI, Tomaž, ŽITNIK, Arjana. Dilation coefficient, plane-width, and resolution coefficient of graphs. Monatshefte für Mathematik, ISSN 0026-9255, 2013, vol. 170, no. 2, str. 179-193. [COBISS.SI-ID 1024499540]

PISANSKI, Tomaž, ŽITNIK, Arjana. Representing graphs and maps. V: BEINEKE, Lowell W. (ur.), WILSON, Robin J. (ur.). Topics in topological graph theory, (Encyclopedia of mathematics and its applications, ISSN 0953-4806, 128). Cambridge [etc.]: Cambridge University Press, cop. 2009, str. 151-180. [COBISS.SI-ID 15227481]

ŽITNIK, Arjana. Series parallel extensions of plane graphs to dual-eulerian graphs. Discrete Mathematics, ISSN 0012-365X. [Print ed.], 2007, vol. 307, iss. 3-5, str. 633-640. [COBISS.SI-ID 14183769]